

# Interaction of Atlantic and Tropical Pacific Multidecadal Variability as Modulated by ENSO

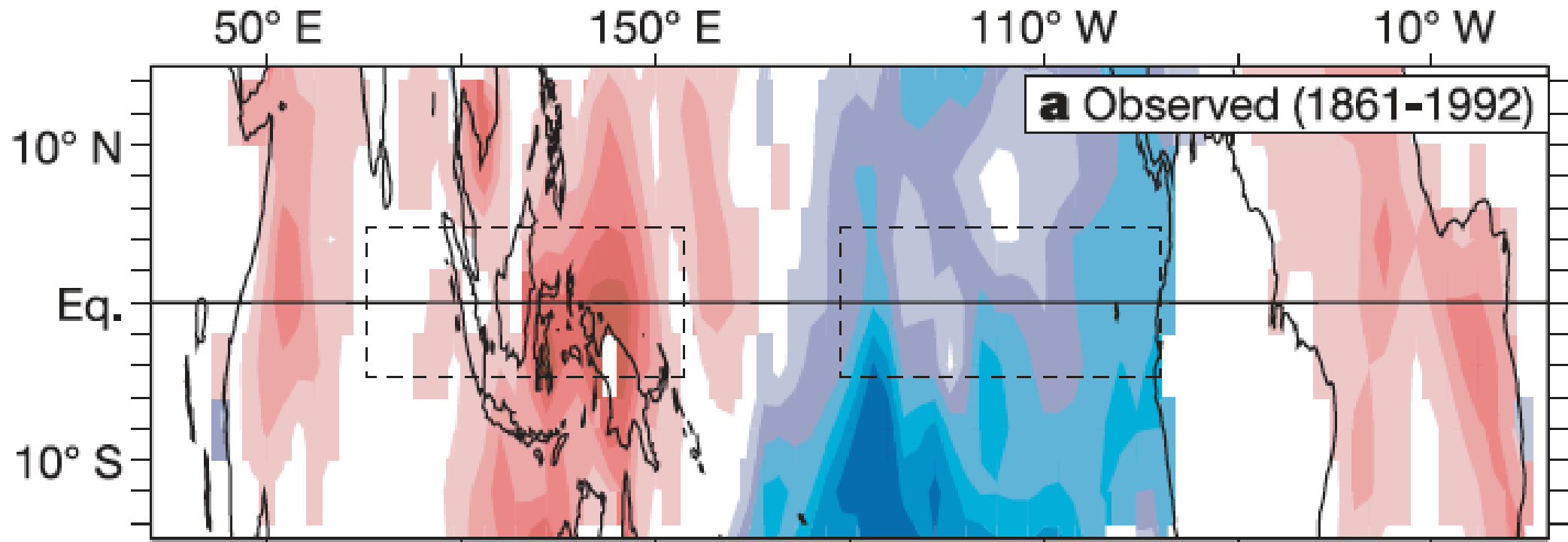
Aaron Levine

4<sup>th</sup> ENSO CLIVAR conference

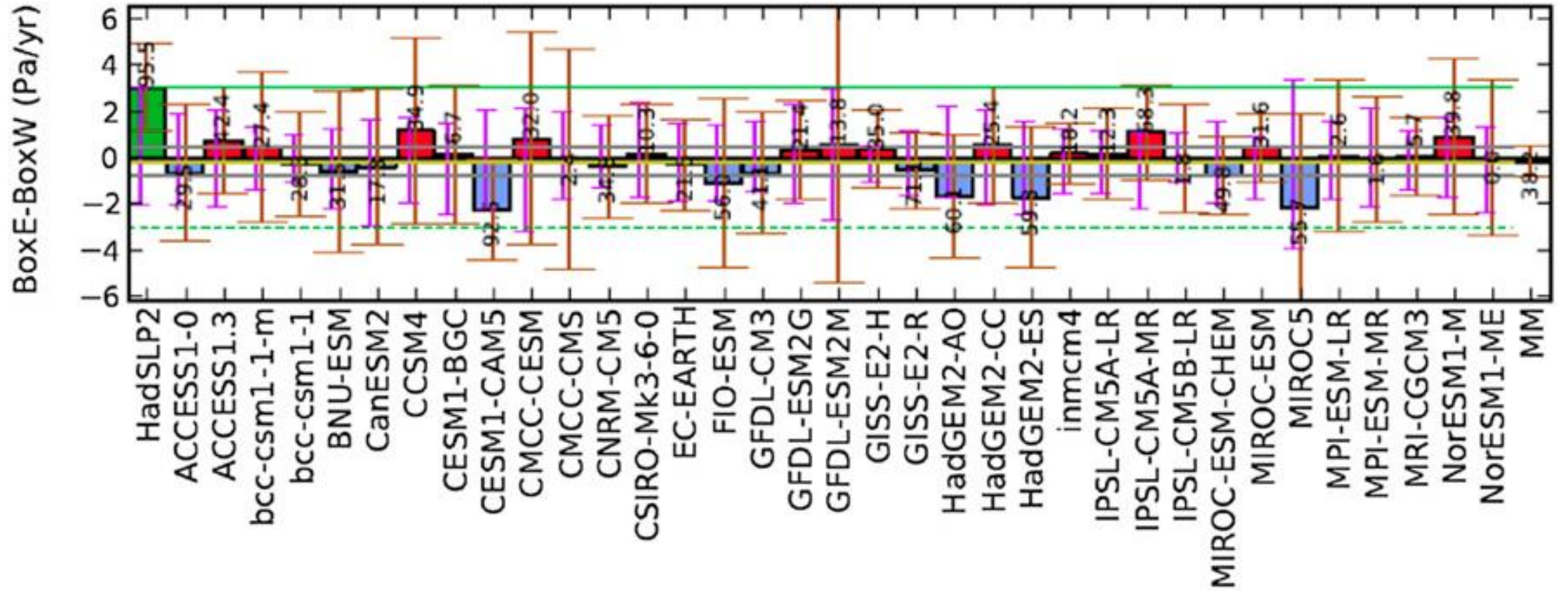
October 15, 2018

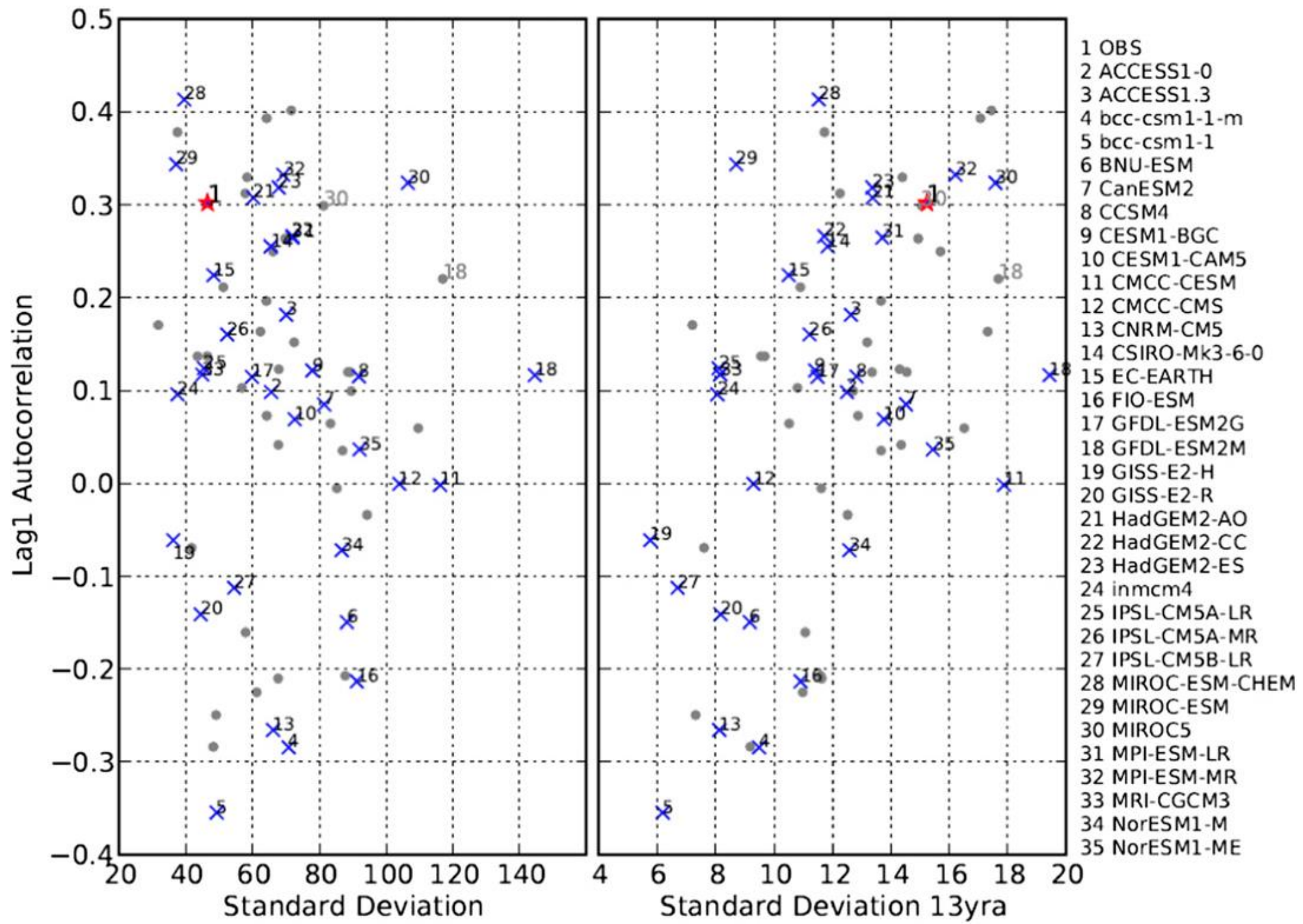
Thank you to Michael McPhaden, Dargan Frierson, and Elizabeth Maroon

# Sea Level Pressure Trends



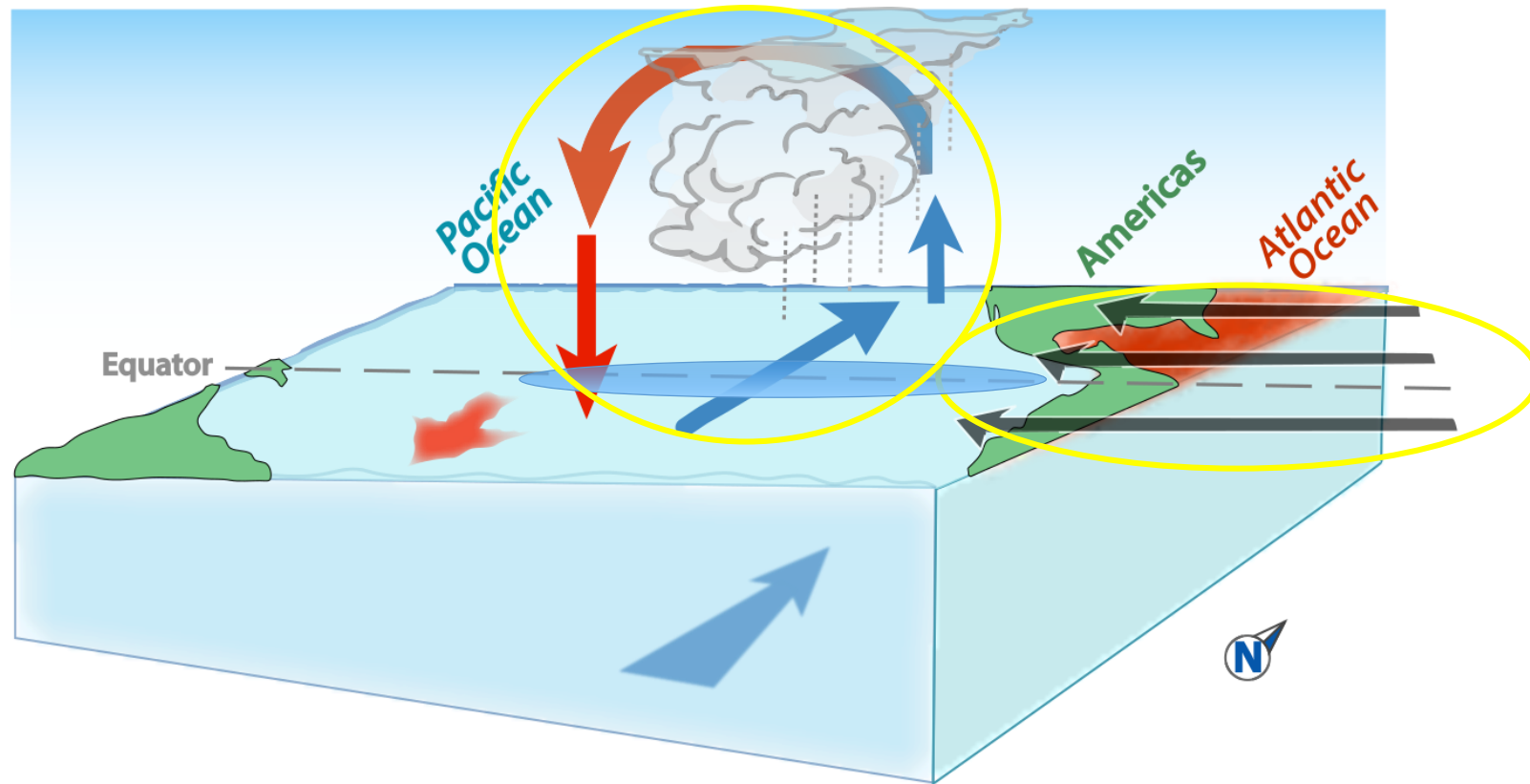
# Model Representation of Walker Circulation Trends





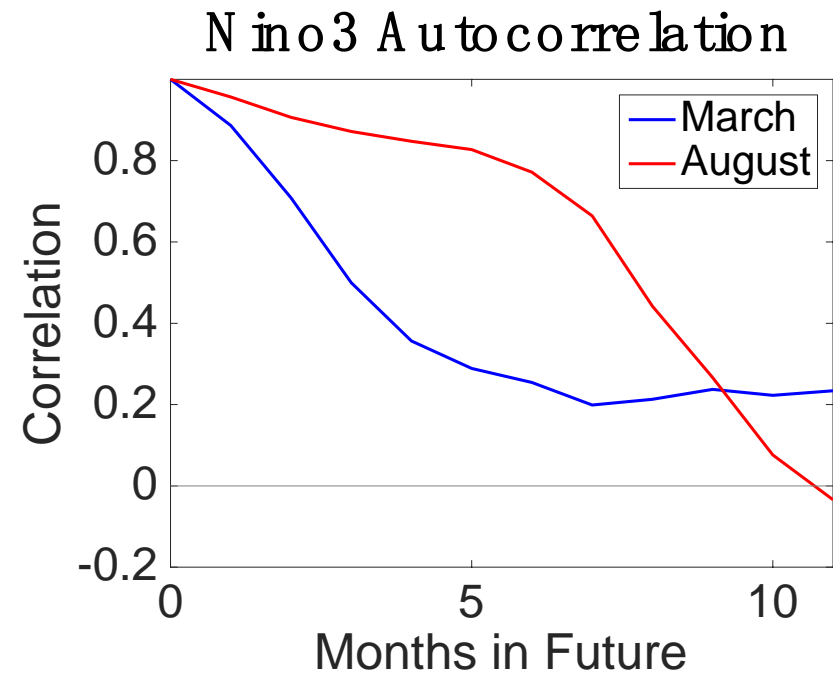
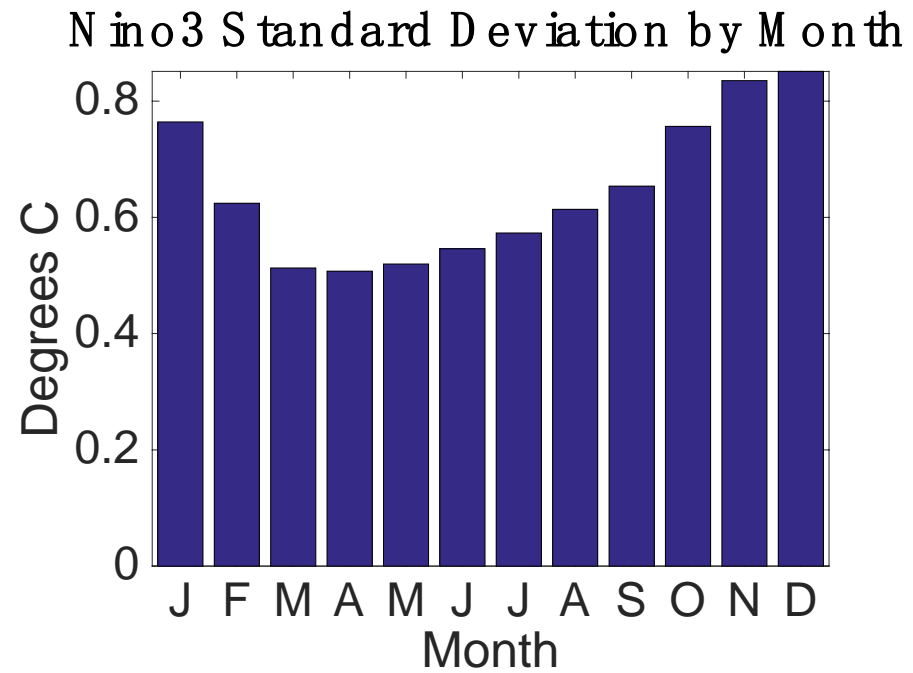
Kociuba  
and Power  
2015

# Mean State Impact

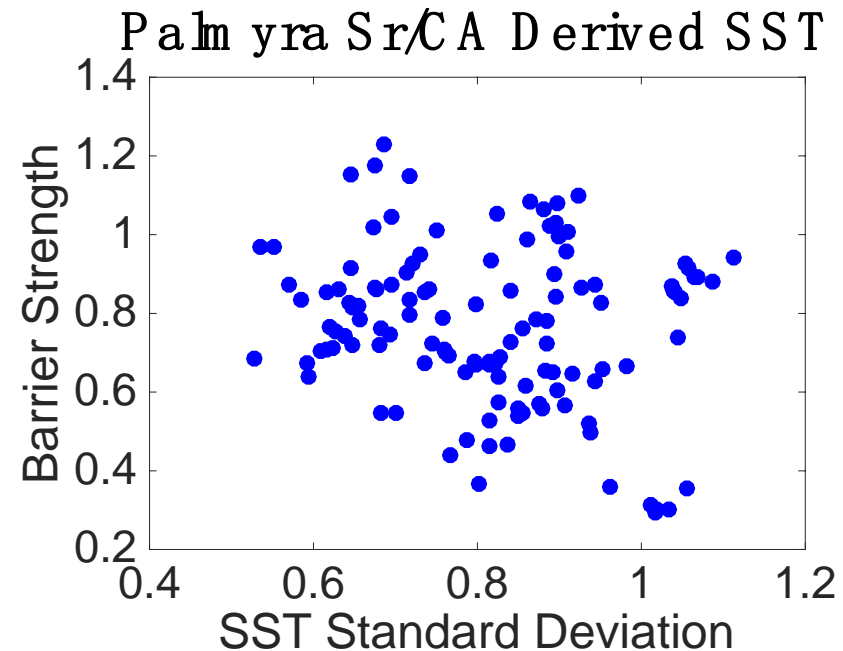
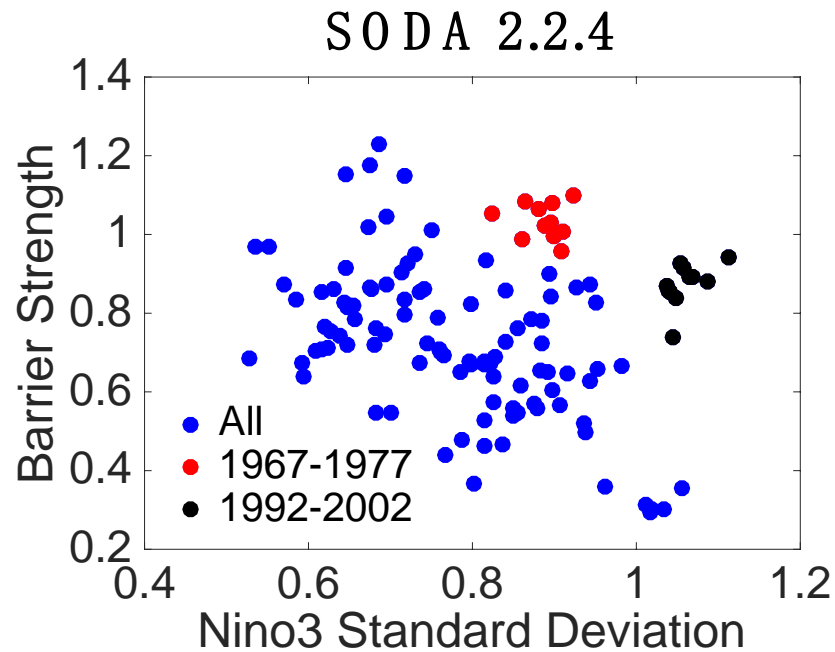


- Warm Atlantic → Stronger Trades (McGregor et al 2014)
- Stronger Trades → Stronger Cold Tongue (Li et al 2015)
- Stronger Cold Tongue → Changes in ENSO (Levine et al 2017, 2018)

# Seasonality of ENSO



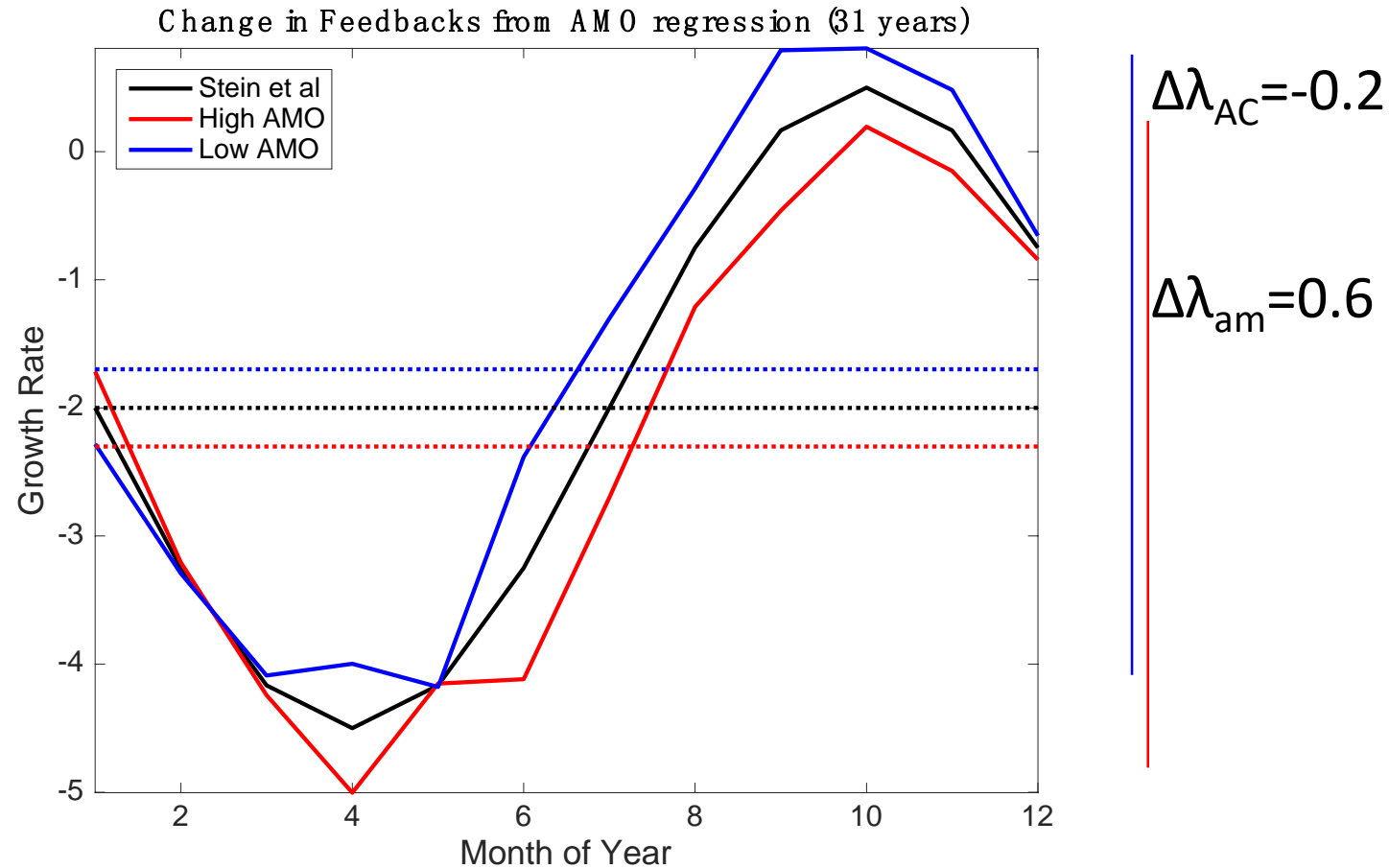
# Relationship ENSO Annual Cycle and ENSO Variance



- Stronger annual cycle, weaker ENSO variance
- El Nino events are still strongly noise forced, so a strong event can happen at any time



# Changes in ENSO Growth Rate

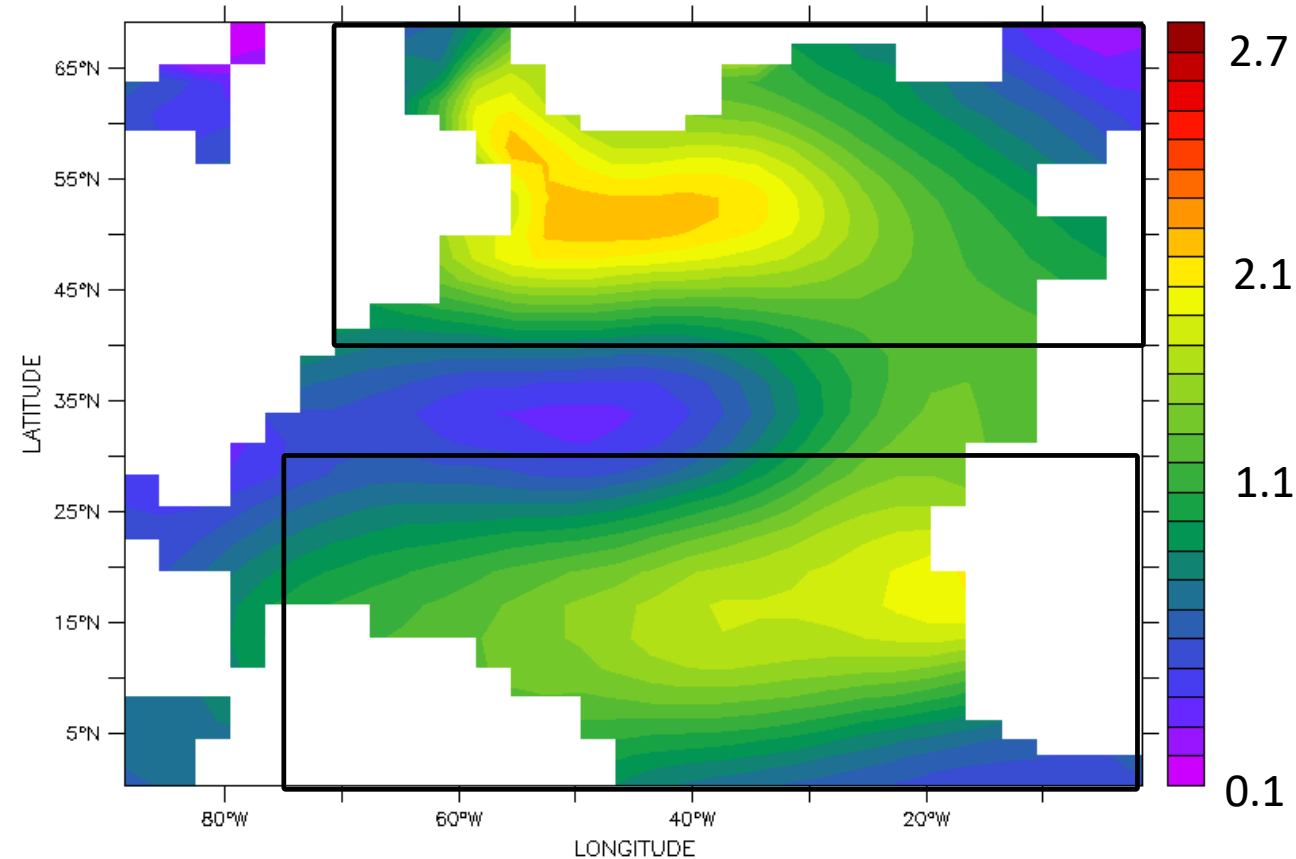


- Large seasonal changes in Damping from mean current, small in annual mean
- Annual cycle of growth rate and annual mean change fit what is expected from the conceptual model
  - Increased annual mean, decreased annual cycle
- Changes in both boreal spring and fall

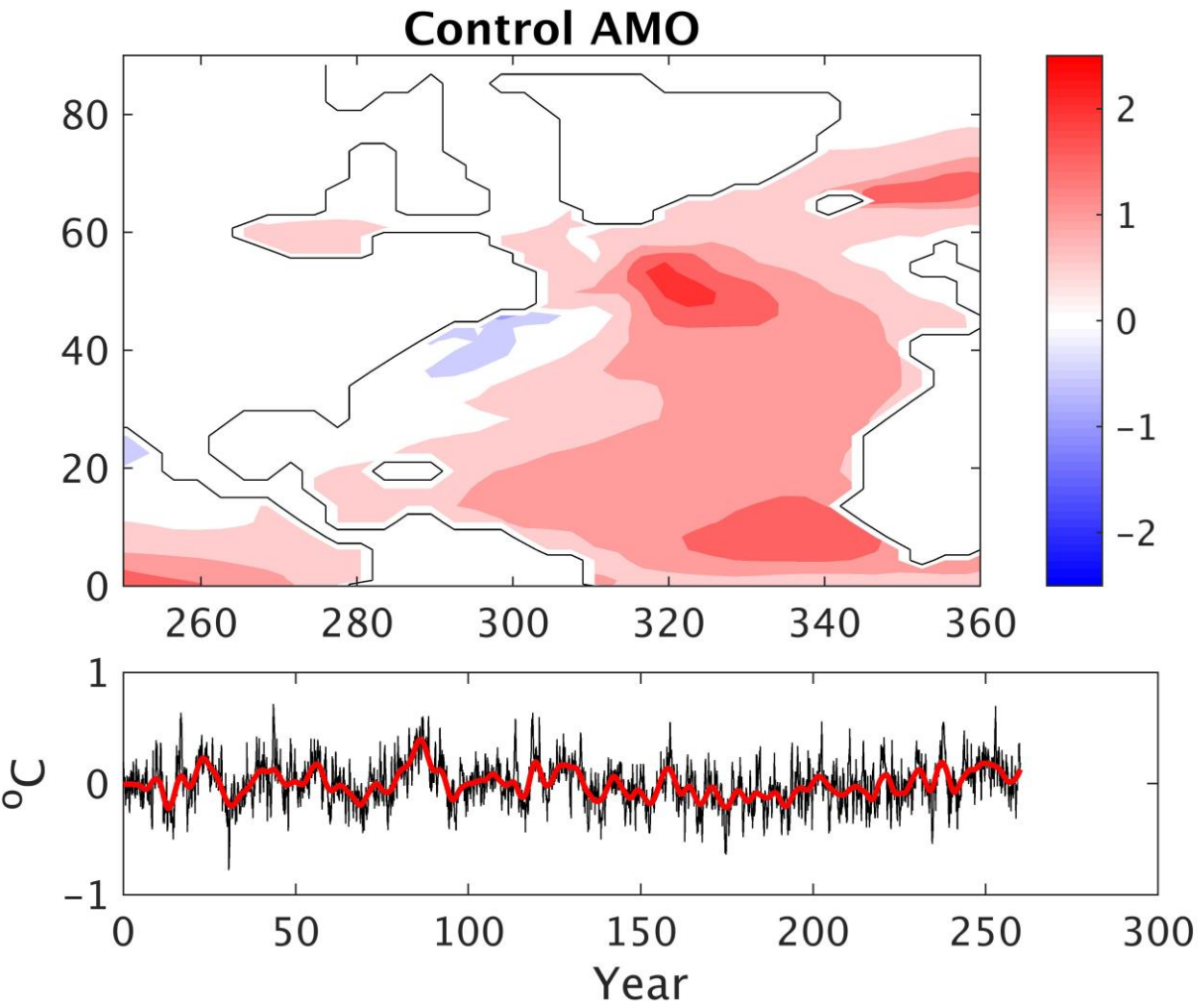


# Coupled Model

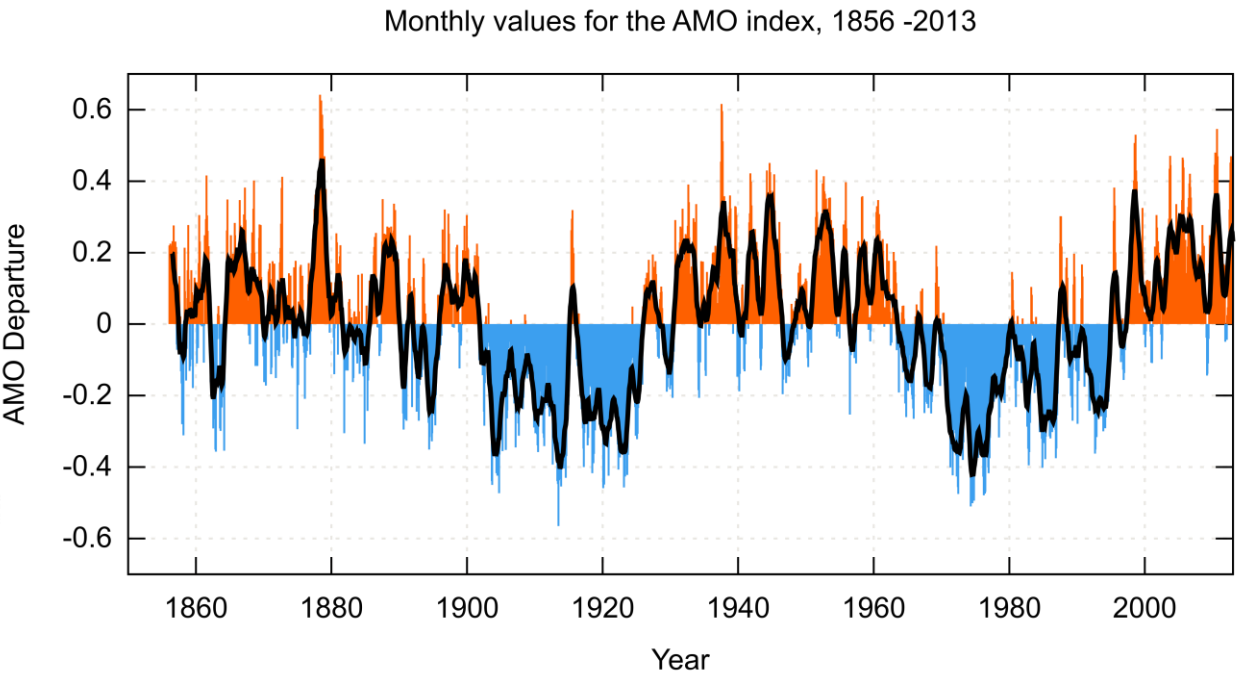
- Limited observational record
  - 1-2 cycles
  - 20CR reanalysis/ERSST
- Coarse resolution CM2M
  - Atm. 3.5 x 3 with 24 levels
  - Ocean 3 degree (0.6 in tropics), 5 levels in upper 50 m
  - Control simulation of 270 years



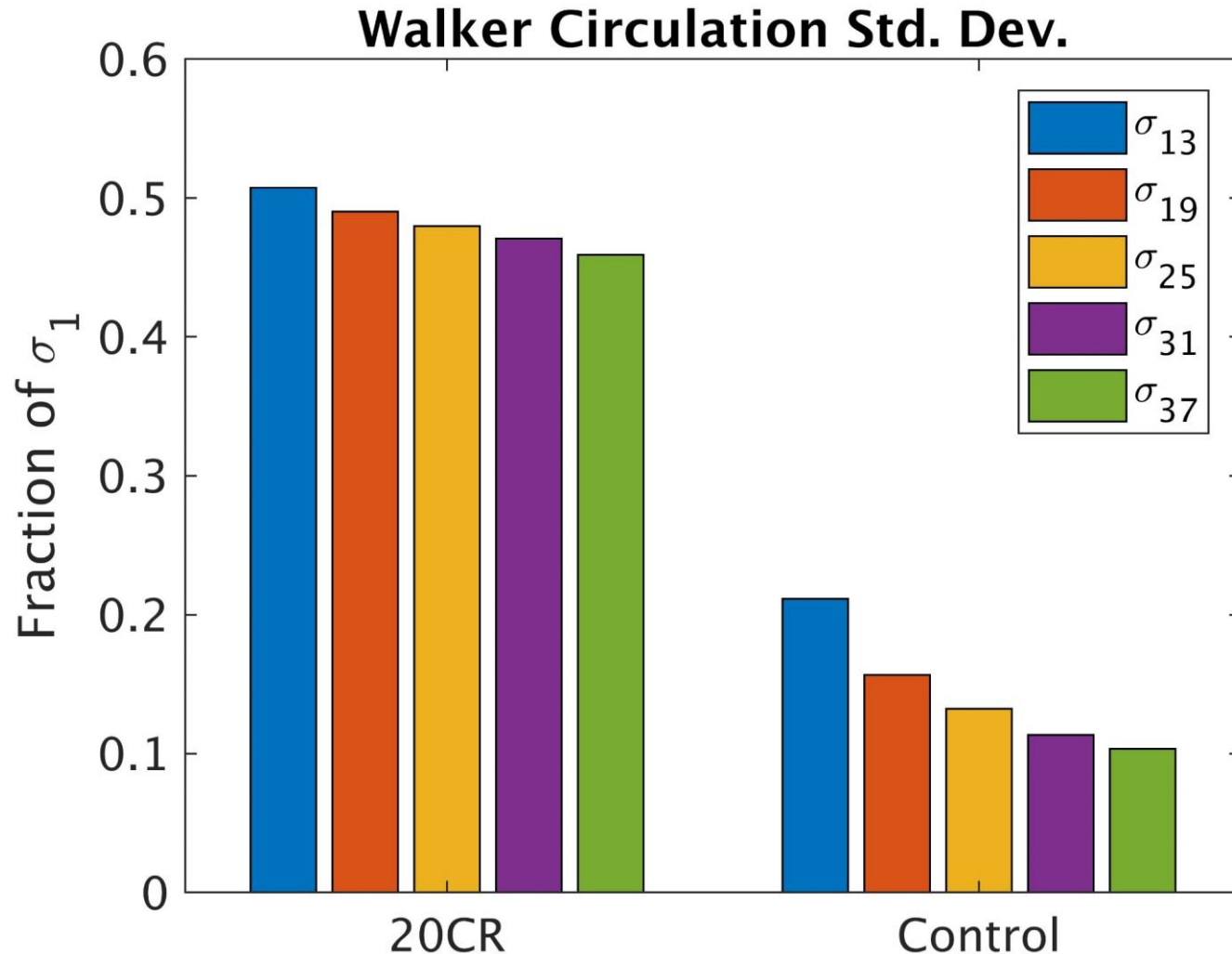
# Model AMV



- Control simulation does not have sufficient multidecadal variability in Atlantic
- Common error among climate models (Frankignoul et al 2017)

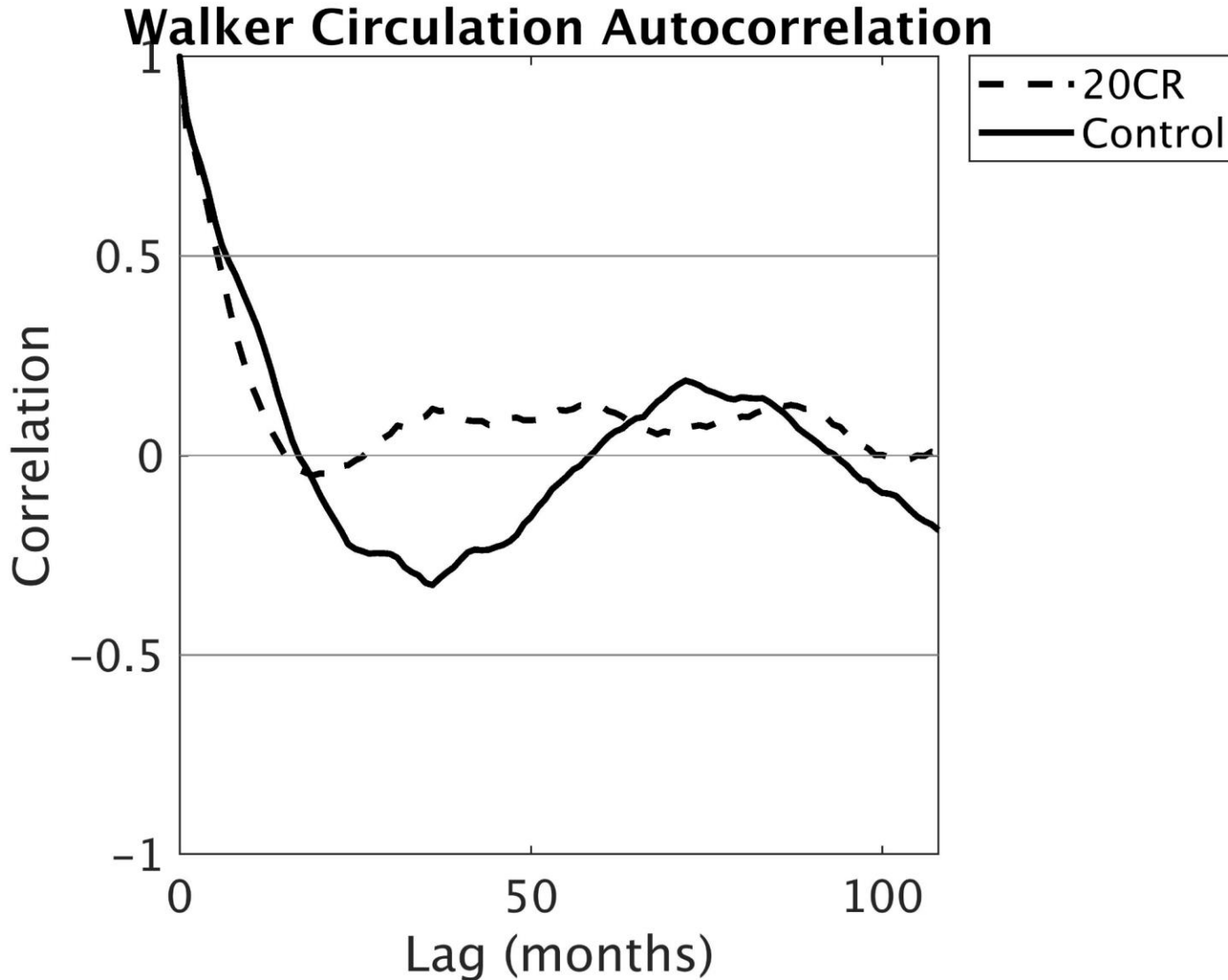


# Multidecadal Walker Circulation in Control



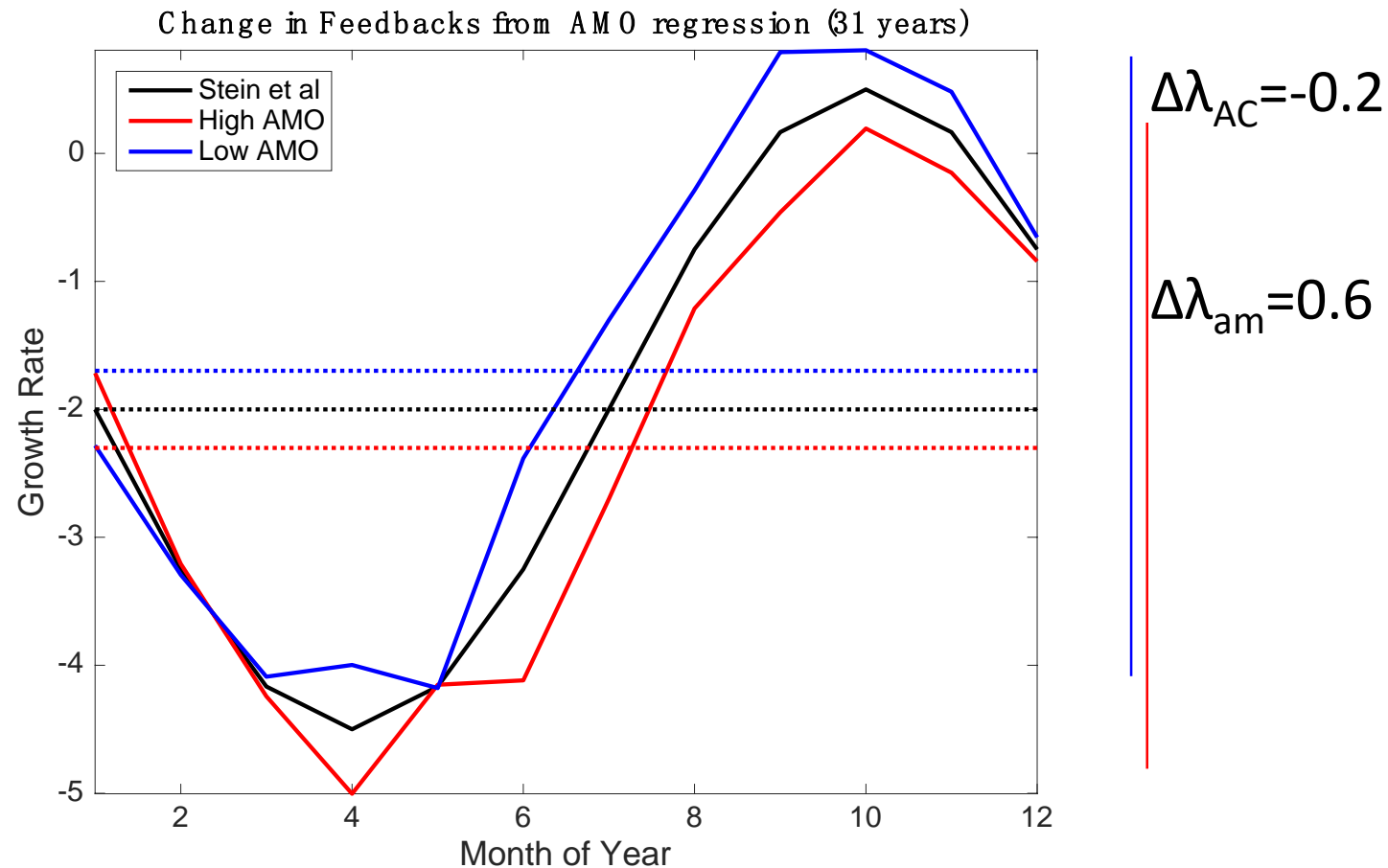
- Fraction of annual mean variability expressed at all multidecadal time periods significantly less in simulation than reanalysis
- Length of multidecadal period is more important in the model than in the reanalysis

# Walker Circulation in Control Simulation



- Like Kociuba and Power, modelled ENSO is too periodic
- Clear minimum ( $r=-0.35$ ) and secondary maximum ( $r=0.2$ )

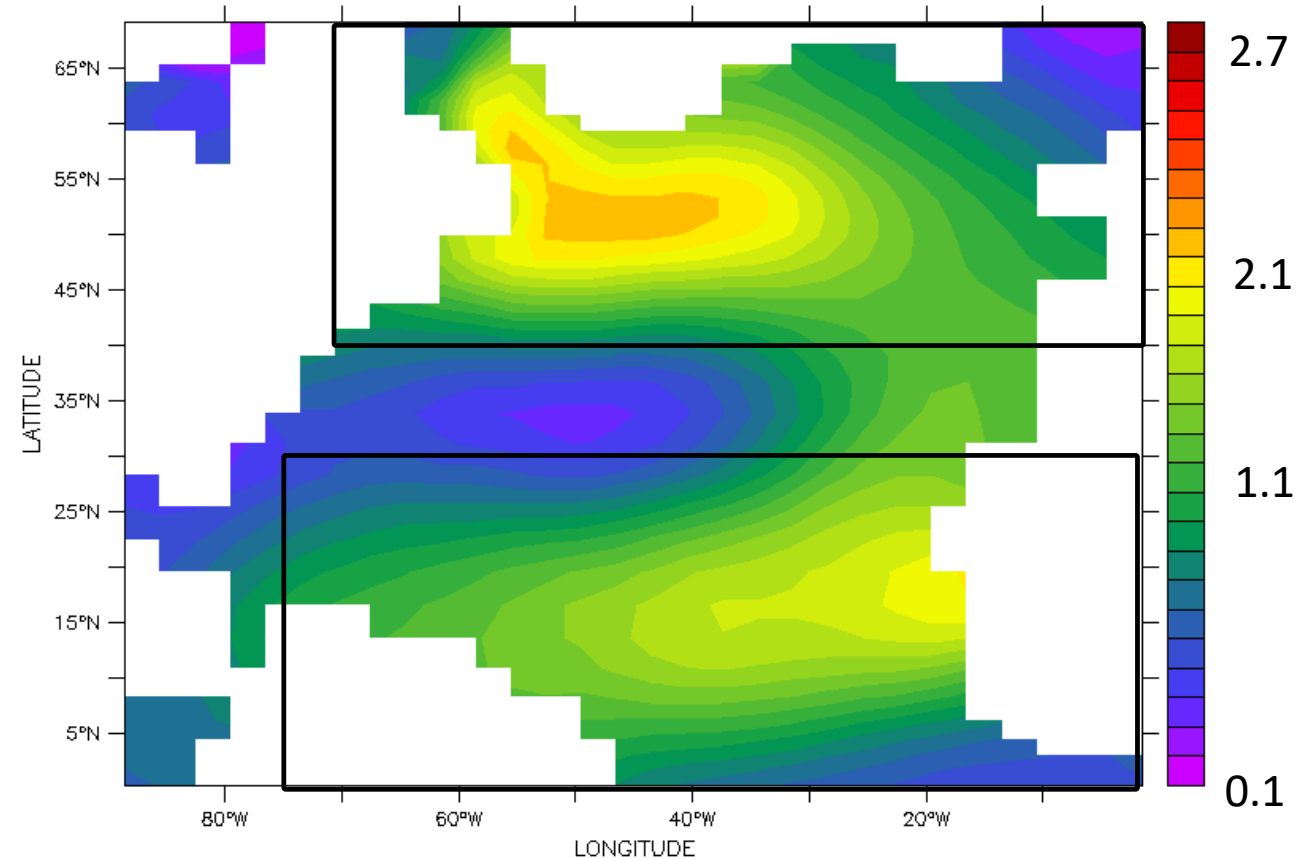
# Changes in ENSO Growth Rate



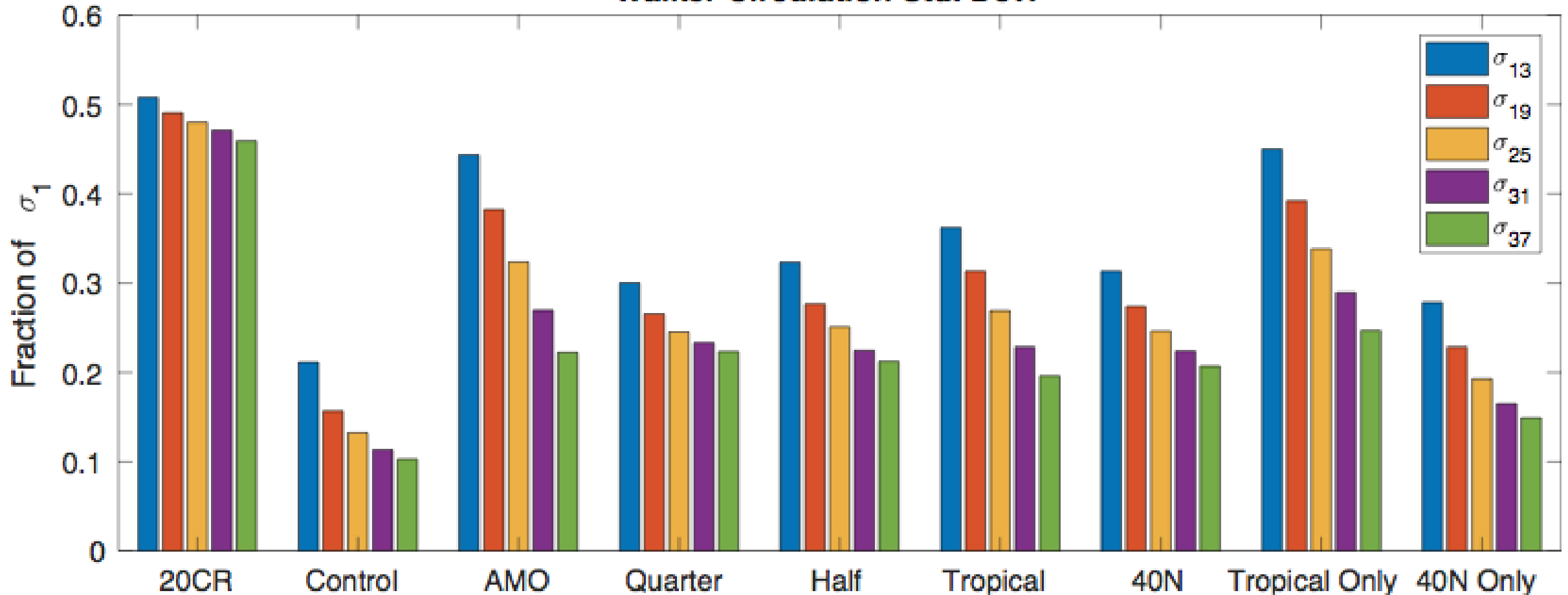
- Either overall weakening on ENSO amplitude or stronger damping during boreal spring
  - Depends on phase of AMO
- BOTH should make ENSO less regular

# Coupled Model Experiment

- Coarse resolution CM2M
  - Atm. 3.5 x 3 with 24 levels
  - Ocean 3 degree (0.6 in tropics), 5 levels in upper 50 m
- AMO-forced experiments
  - AMO SSTs plus model seasonal cycle
  - 50-year AMO
  - Different Experiments
    - Whole AMO
      - Full SST amplitude
      - Half SST amplitude
      - Quarter SST amplitude
    - Sub Polar (40-70N box)
    - Tropical (0-30N box)



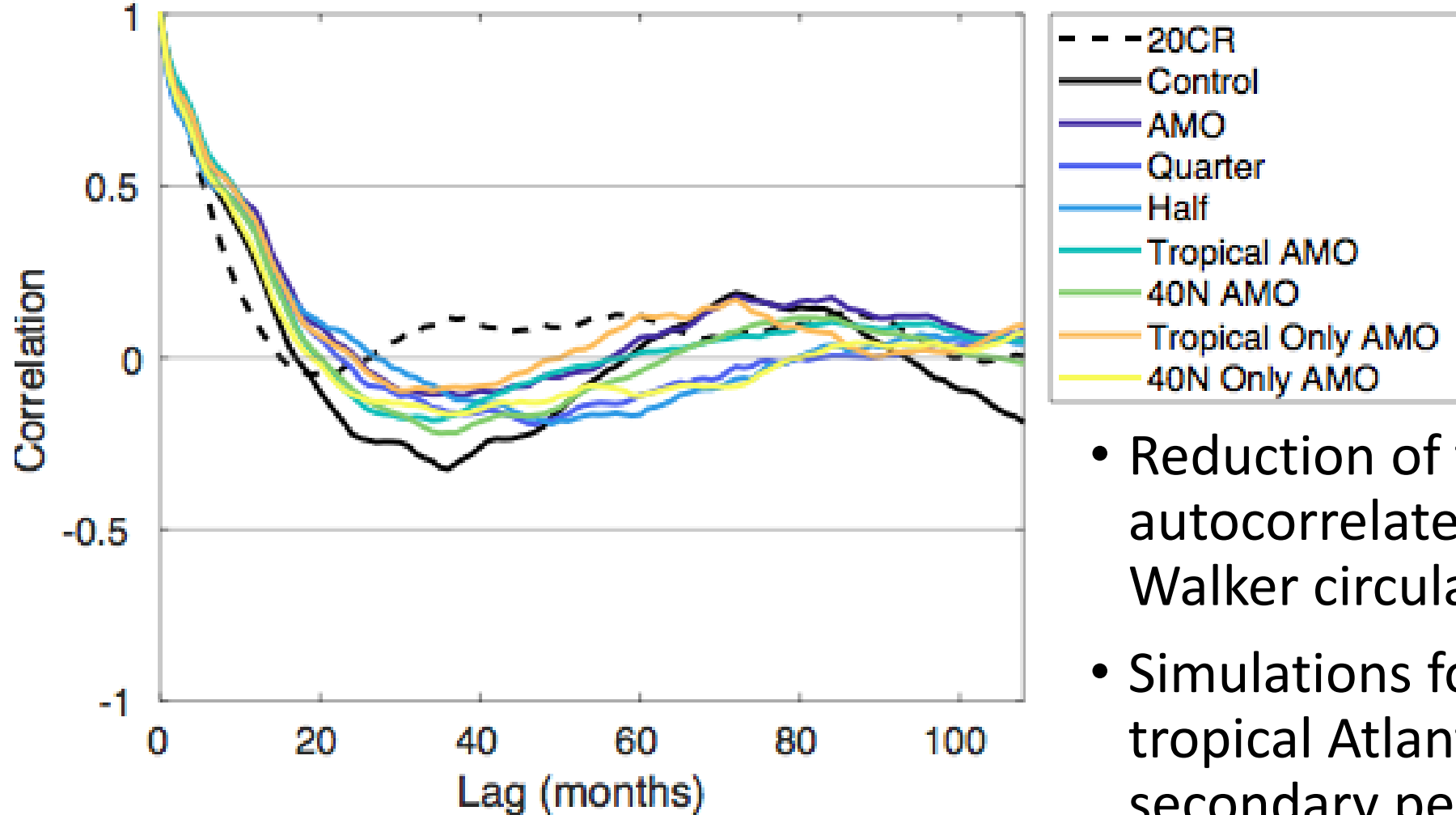
## Walker Circulation Std. Dev.



- Adding AMO increases tropical Pacific multidecadal variability at all timescales
- The tropical Atlantic forces larger changes than the extra-tropical Atlantic.
- Still timescale matters (red noise versus periodic Atlantic Multidecadal Variability)

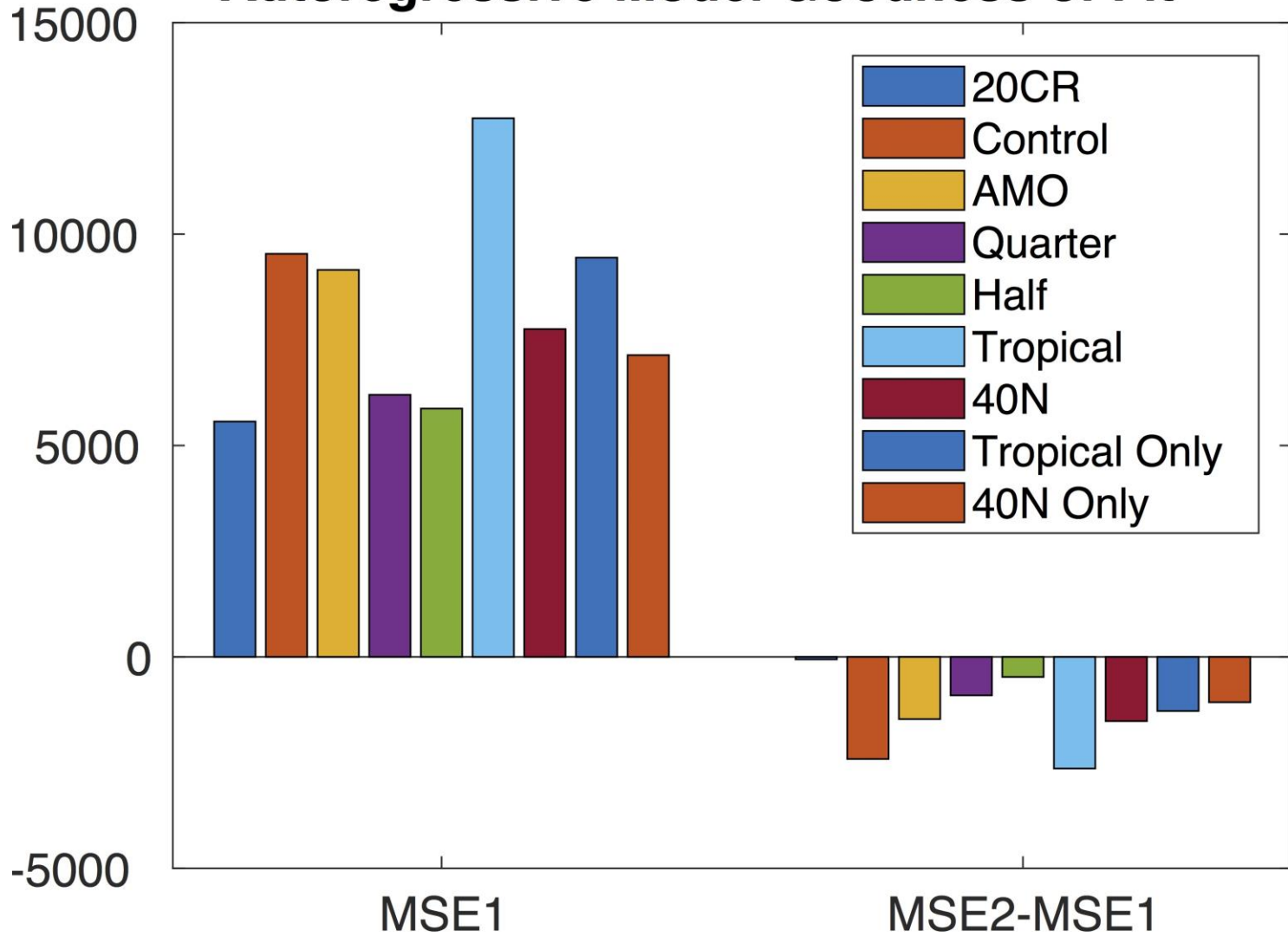


## Walker Circulation Autocorrelation



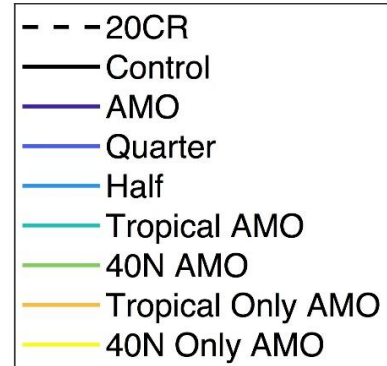
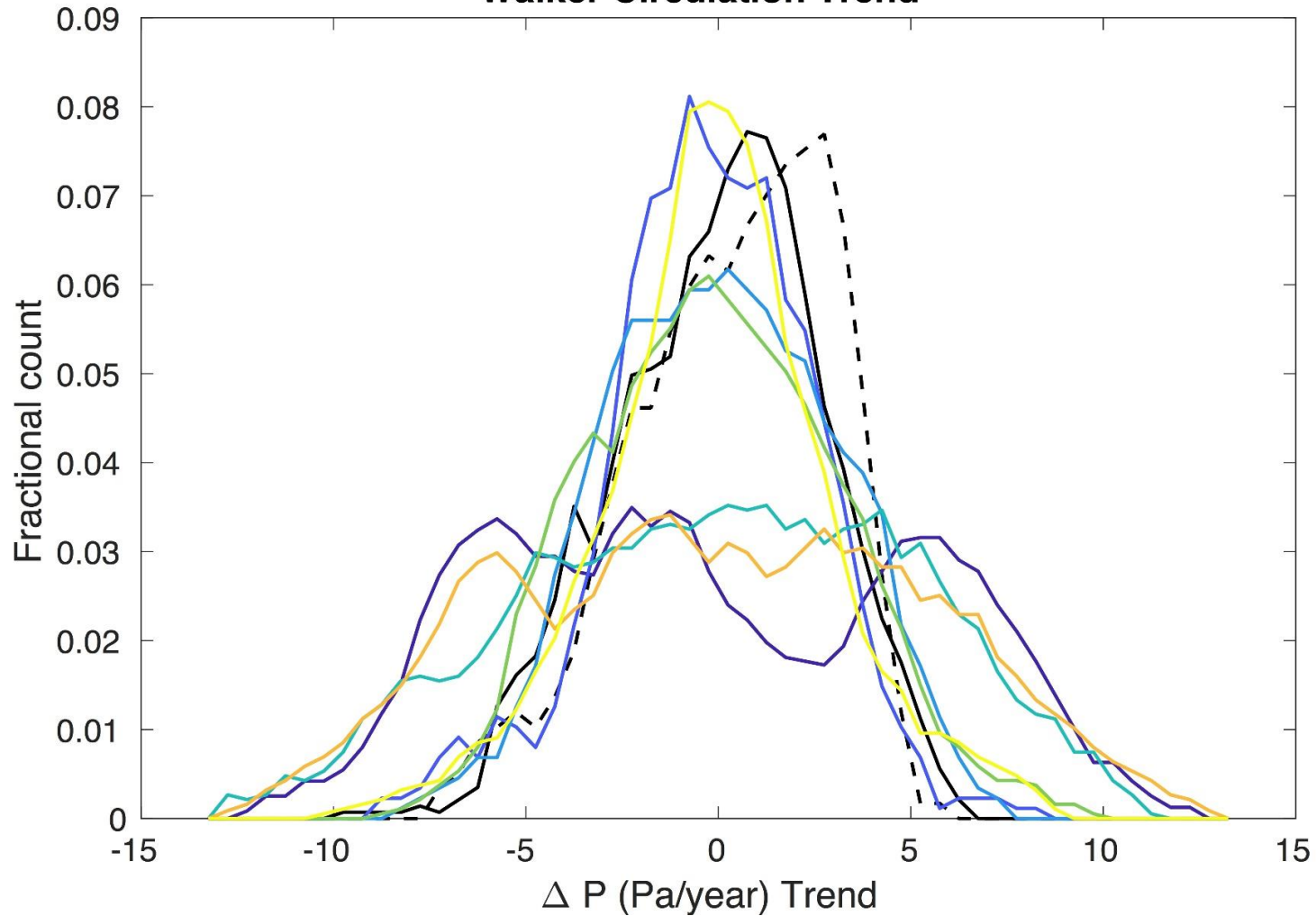
- Reduction of the overall autocorrelated-ness of the Walker circulation
- Simulations forced with strong tropical Atlantic retain a secondary peak

## Autoregressive Model Goodness of Fit



- All AMO forced simulations still are AR2
- Improvement from control with all simulations
  - Particularly with reduced amplitude AMO

### Walker Circulation Trend



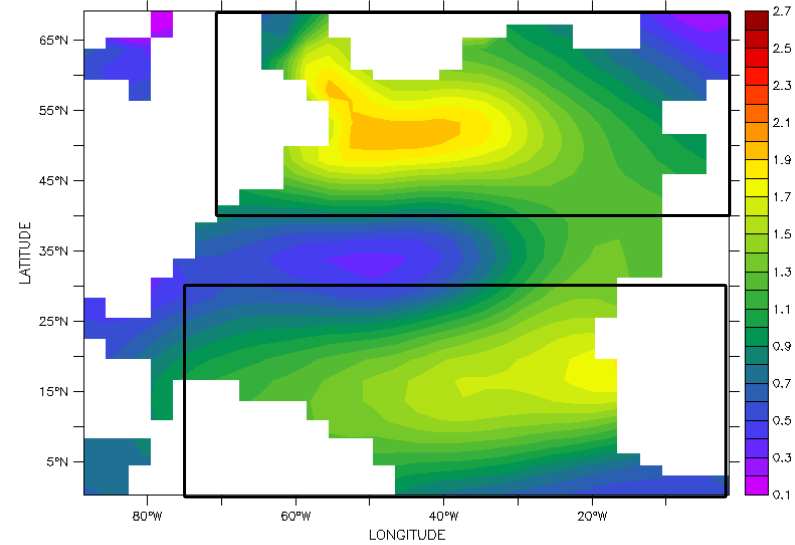
- All AMOs increase PDF width of trends.
- Large tropical forced AMOs produce the largest magnitude decadal WC trends
  - Bimodal distribution?
- Subpolar and reduced SST forced simulations expand trends and keep shape of trend PDF

# Conclusions

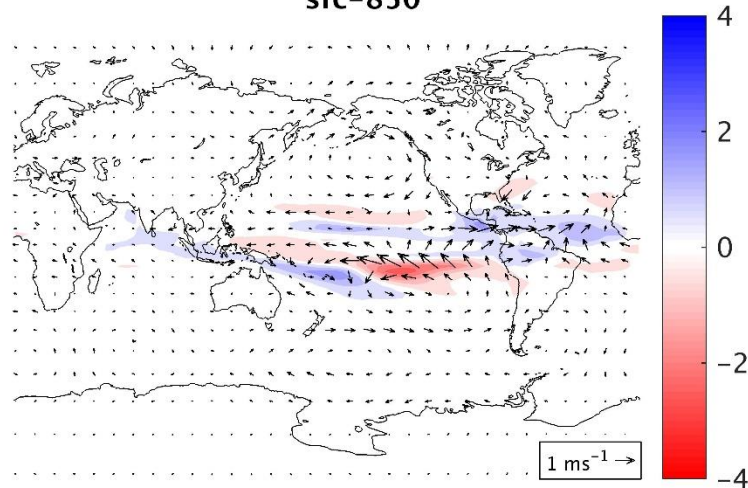
- AMO variability impacts tropical Pacific
  - Positive AMO increase in NH ITCZ precipitation
  - Decrease amplitude of ENSO and increase seasonal cycle
- Forced AMO variability decreases ENSO regularity
  - Increases variability for tropical decadal Pacific
  - Increases range of normal trends in multidecadal Walker circulation
    - Maybe the last 35 years are NOT that unusual

# Extra Slides

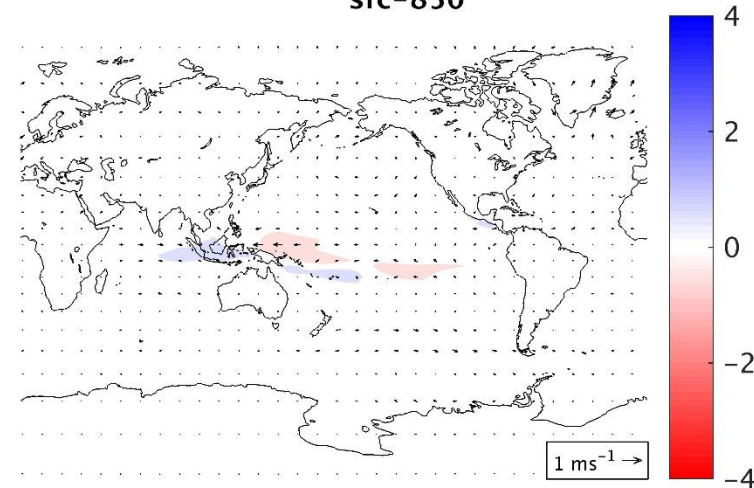
# Regional Atlantic SST changes



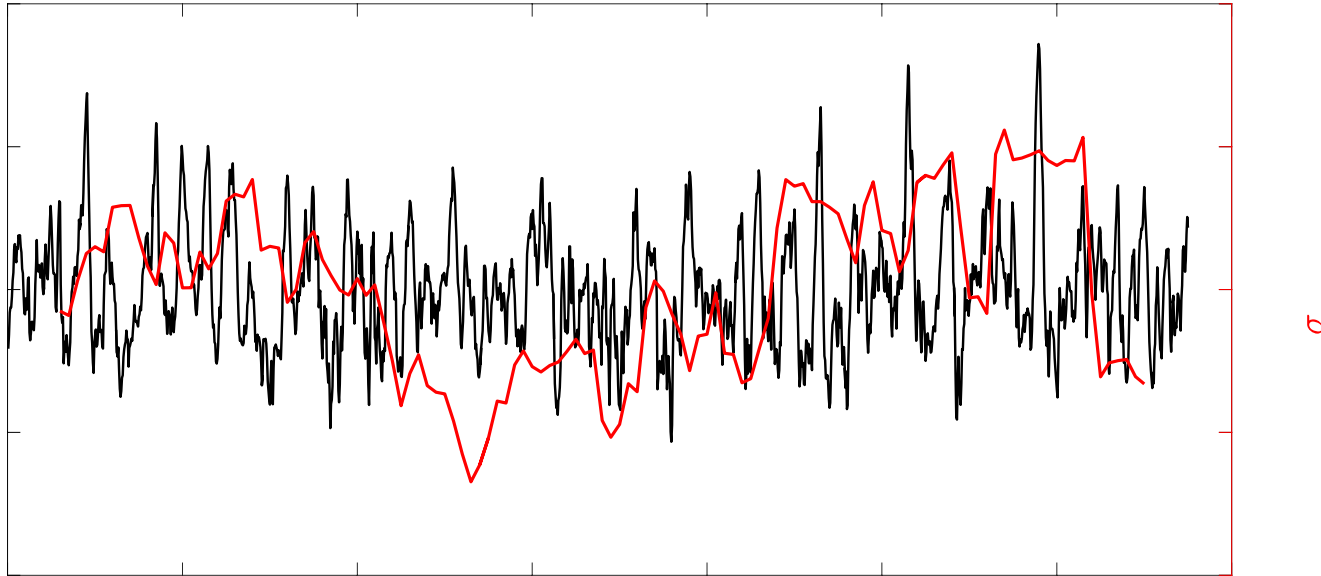
Annual Mean P-E &  $U_{sfc-850}$  on Tropical AMO



Annual Mean P-E &  $U_{sfc-850}$  on 40N AMO



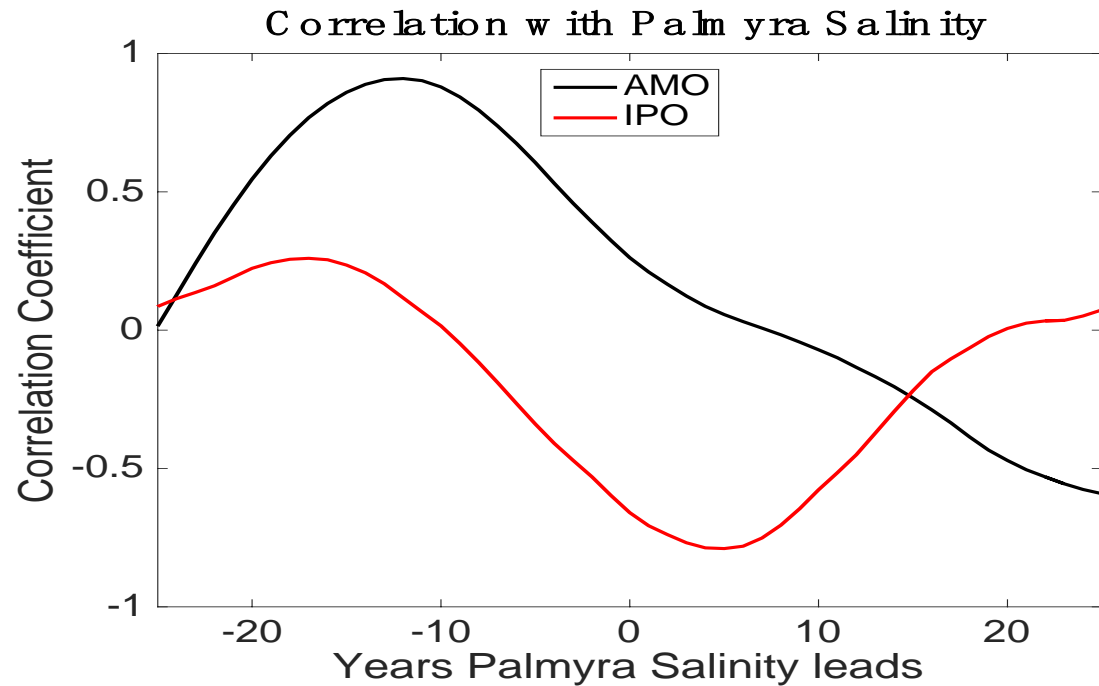
# Multidecadal ENSO Variability



- 130 year reconstruction
- Periods of greater activity

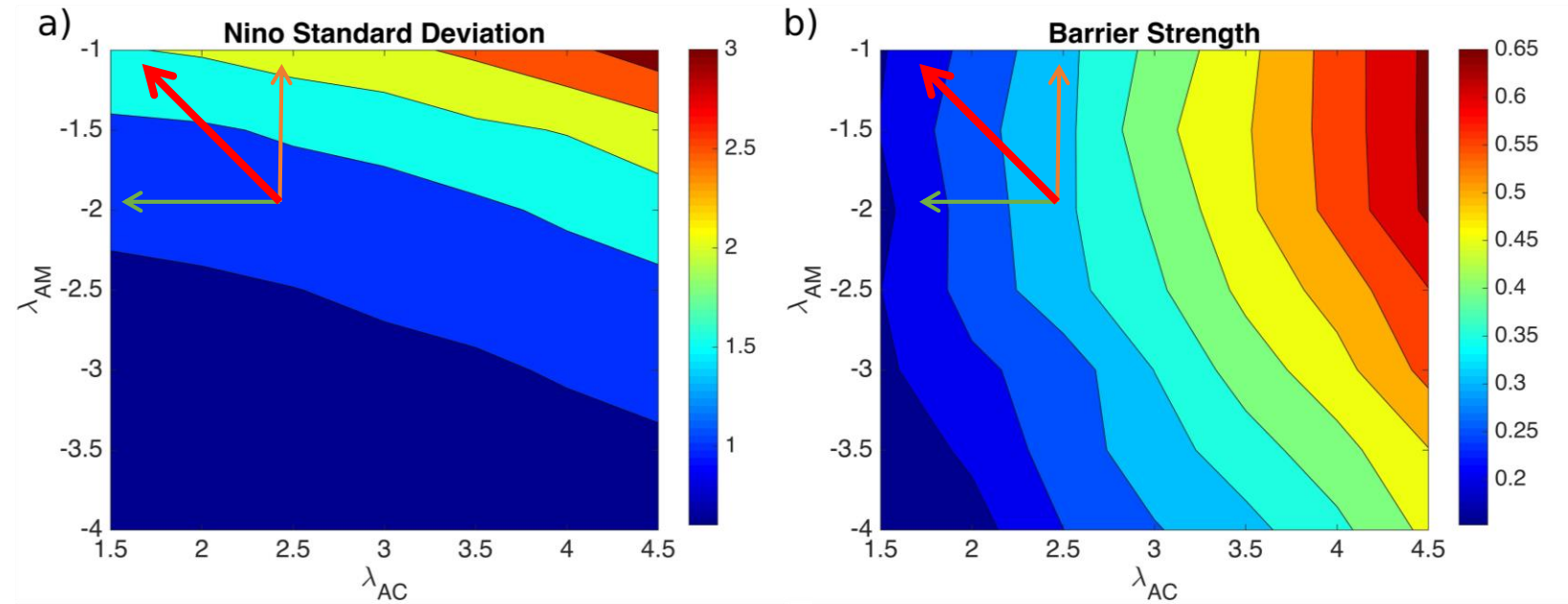


# AMO impacts on Salinity



- Strong correlation with AMO leading by  $\sim 10$  years
- IPO (or PDO) lags by  $\sim 5$  years

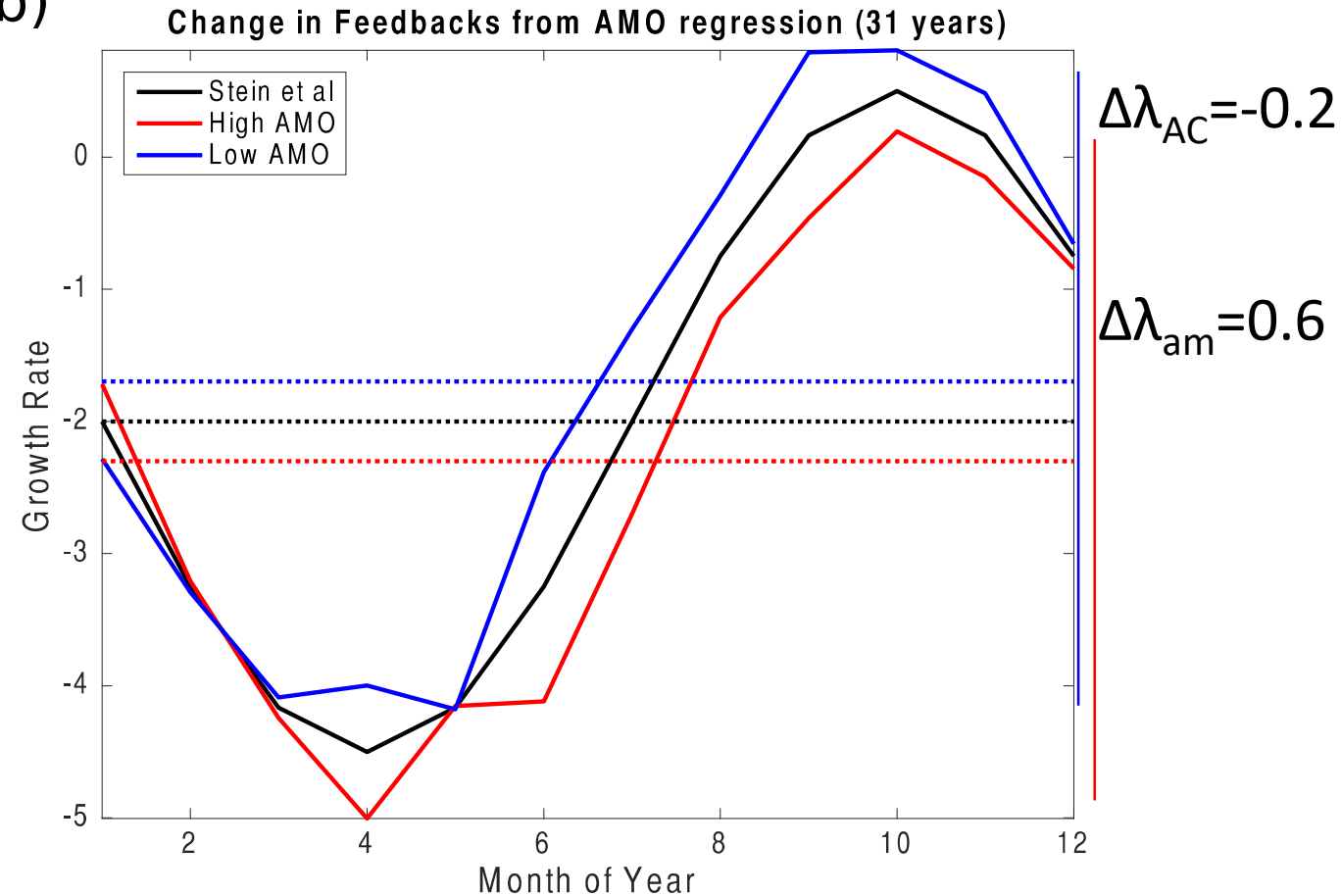
# Inverse Changes to Amplitude and Barrier Strength



- Decrease only  $\lambda_{AC}$ , decrease both variance and SPB
- Increase only  $\lambda_{am}$ , increase variance and SPB unchanged
- Instead need both to change together

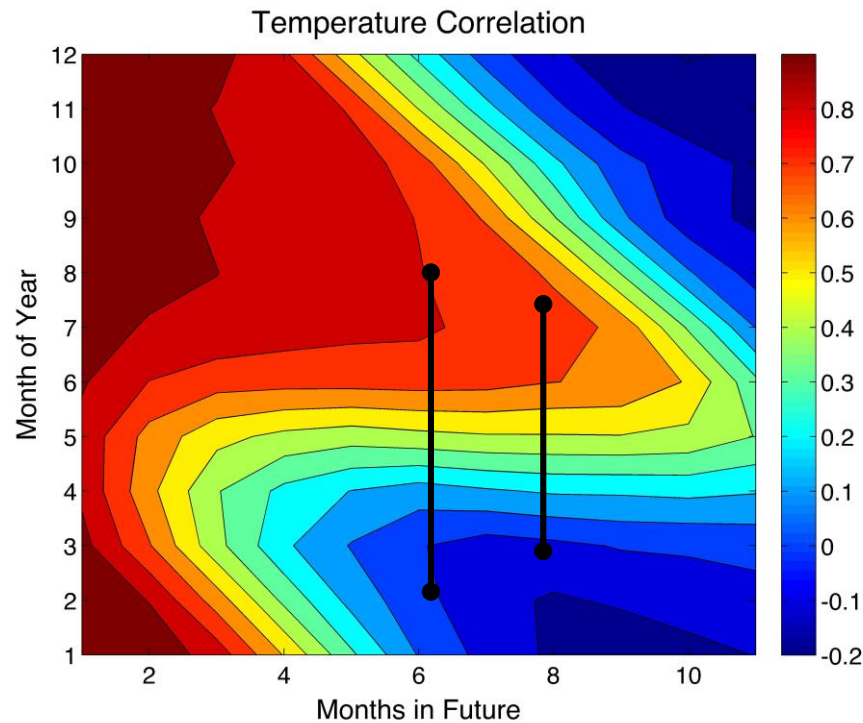
# Changes in ENSO Growth Rate

b)



- Large seasonal changes in Damping from mean current, small in annual mean
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# ENSO Annual Cycle



- ENSO standard deviation varies by month
  - Find the maximum and minimum correlation for all times  $t+\tau$
- Average the difference between peaks and troughs from 1-12 months
- Peaks in boreal winter, minimum in boreal spring
  - For example
    - $\tau=6$  max from August  $r=0.85$ , min from February  $r=-.08$ ,  $bstr=0.93$
    - $\tau=8$ , max from August  $r=0.79$ , min from March  $r=-.16$ ,  $bstr=0.95$
    - From 1980-2014, value at 0.74
- Linear ENSO with an annual cycle in growth can recreate both properties (Stein et al 2010, Levine and McPhaden 2015)

# Recharge Oscillator Model

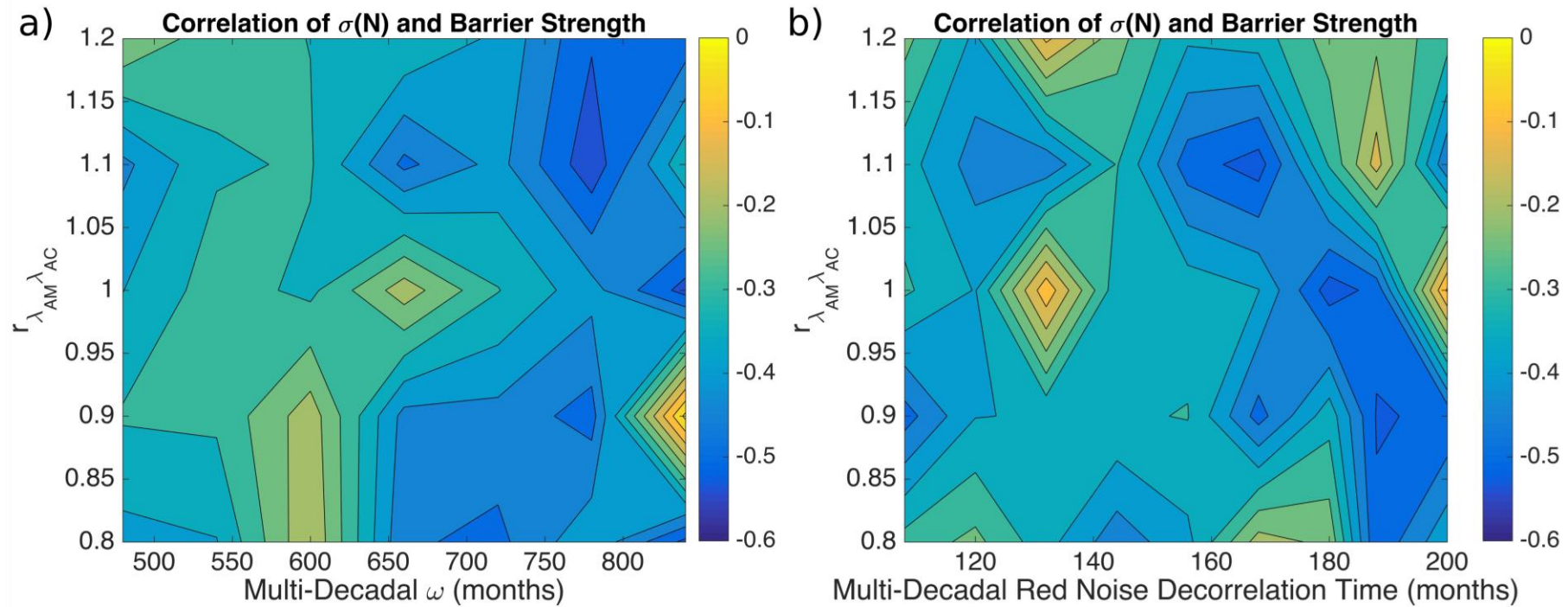
$$\frac{dT}{dt} = -T + Wh + SX \quad I = I_{am} + I_{AC} \sin(W_{AC}t)$$

$$\frac{dh}{dt} = -hT \quad I_{am} = 2$$

$$\frac{dX}{dt} = rX + w(t) \quad I_{AC} = 2.5$$

- Conceptual recharge oscillator model
- Captures basics of ENSO physics, heat content and temperature in quadrature
- Noise Forced
- With sinusoidal growth rate captures monthly variance and autocorrelation

# Linked Growth Rates



$$I = I_{am} + I_{AC} \sin(W_{AC} t)$$

$$I_{AC} = I_{AC0} \frac{I_{am}}{I_{am0}} r_{I_{am} I_{AC}}$$

$$I_{am} = I_{am0} + D I \sin(W_D t)$$